

How to deal with uncertainty for Pan-European electricity system planning and operation modelling

Paola Falugi – In collaboration with G. Strbac, I. Konstantelos, S. Giannelos, A. M. Moreira Da Silva, D. Pudjianto and M. Aunedi

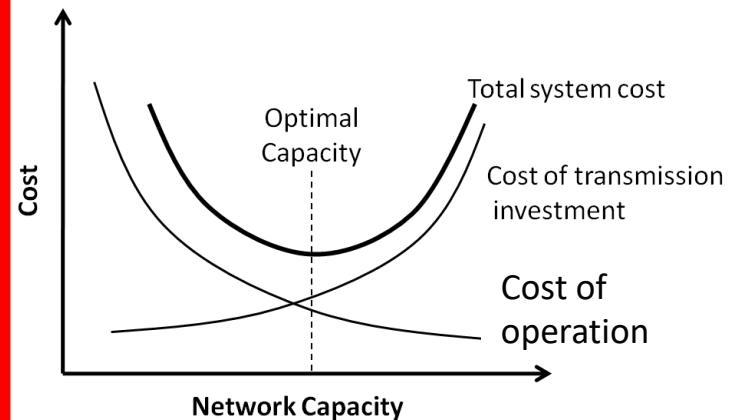
Planning in power systems

- Question: **where, when and how much capacity to build?**
- In thermal-dominated systems, transmission planning is driven by the need to meet peak demand with sufficient reliability.
- In systems with intermittent energy sources, transmission planning is driven by cost-benefit considerations

$$\max\{\text{social welfare}\} = \min\{\text{total cost}\}$$

- The system evolution is affected by significant uncertainty:
 - **Short-term Uncertainties** (operational timescale)

- **Long-Term Uncertainties** (investment timescale)
 - Location, size and technology of new generation plants
 - Investment costs of novel technologies (e.g. storage)
 - Long-term demand growth due to electrification of transport and heat
 - Long-term price trends (e.g. coal, gas, CO₂)



Why bother?

- Capital decisions in power systems are largely **irreversible**. This creates the risk of inefficient investment (**stranded assets**).
- There is **learning** regarding future developments (inter-temporal resolution of uncertainty).
- The planner can exert **managerial flexibility** in his decision making; ‘Fit-and-forget’ vs. ‘Wait-and-see’.

Planning-under-uncertainty optimisation frameworks are fundamental for identifying openings for strategic action

Decision criteria

Deterministic → Consideration of a single (e.g. worst case) scenario

- + Straightforward
- No consideration of strategic actions and alternative realisations

Stochastic → Minimisation of expected system cost

- + Consideration of strategic actions
- Definition of probabilities problematic
- No risk hedging

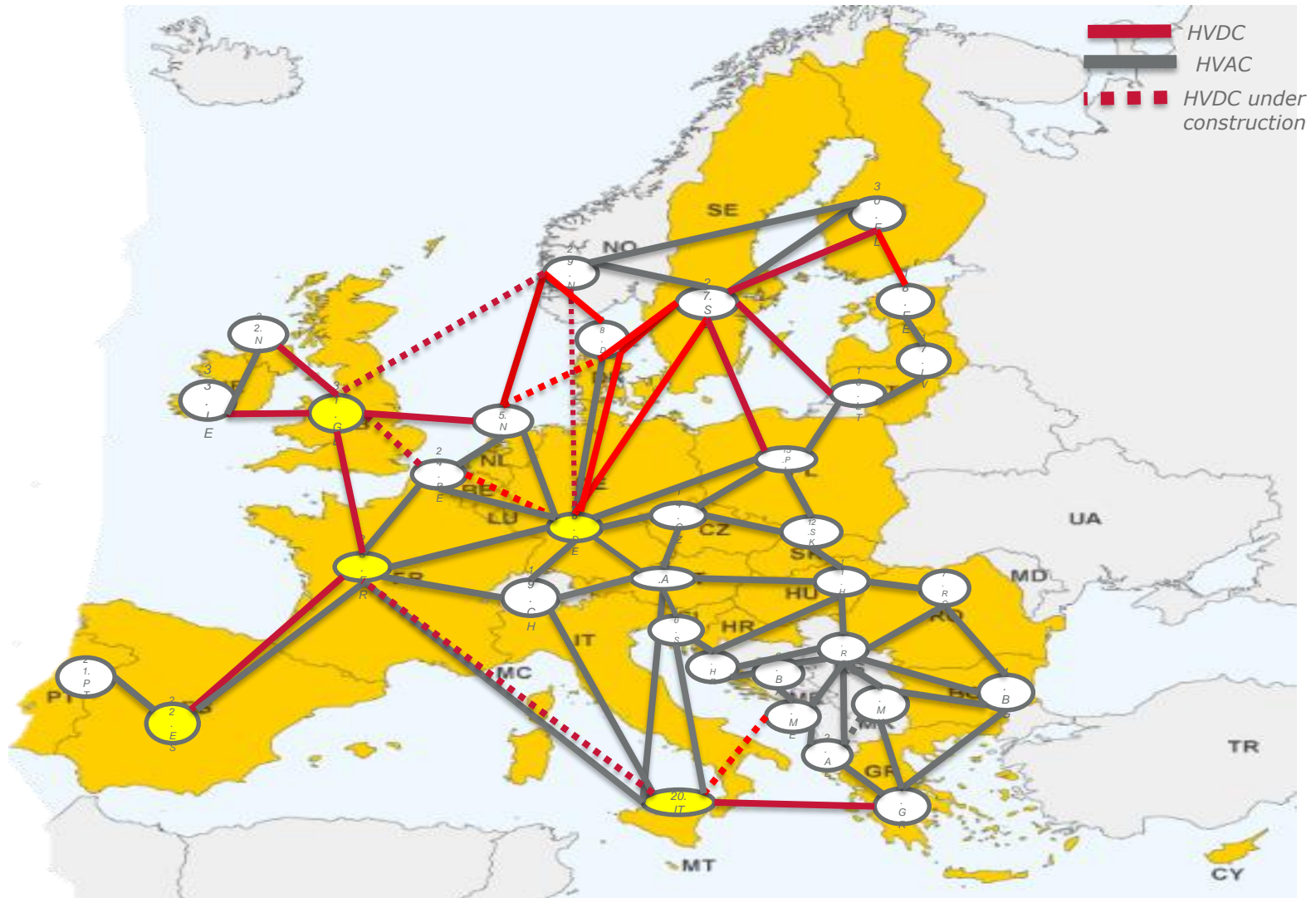
Risk-Constrained → Utilization of a spectral risk measure (e.g. CVaR)

- + User-defined risk profile → exploration of the 'efficient frontier'
- + Linear mathematical formulation
- Definition of probabilities problematic

Robust → Maximisation of a robustness metric (e.g. $\min\{\max\{\text{regret}\}\}$)

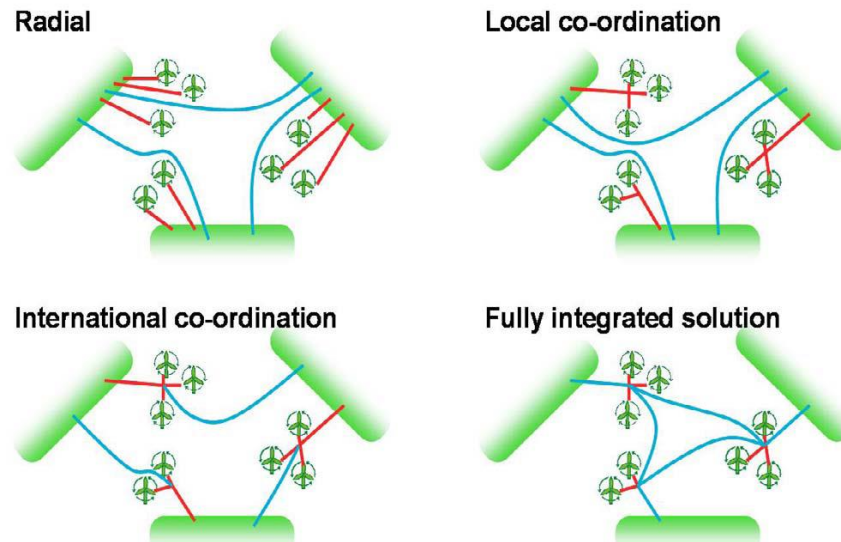
- + Probability-independent
- Can be too conservative

EU Grid model

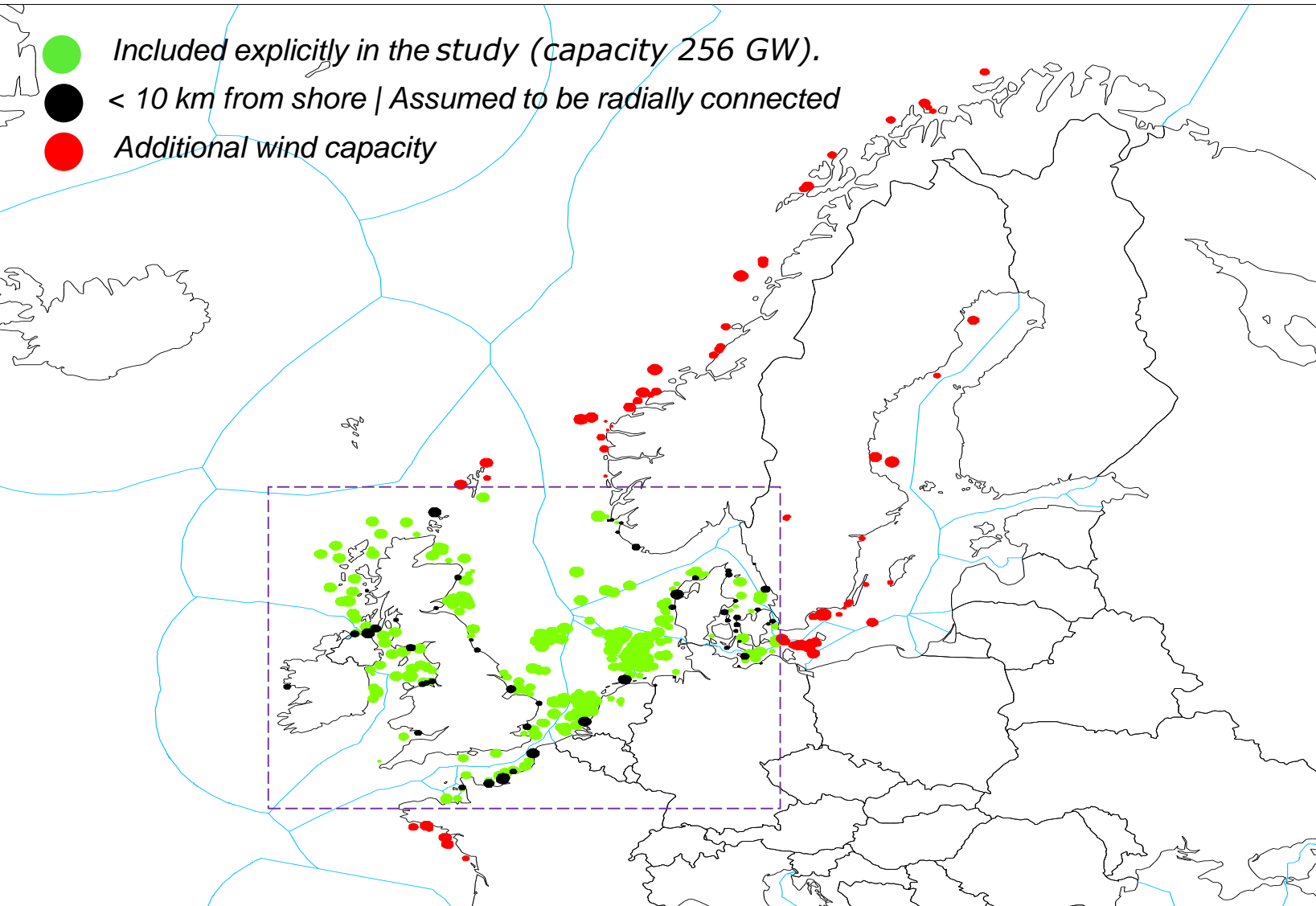


North Sea - Context

1. Today's installed capacity levels of about **5GW** of offshore wind generation may reach **150GW** by 2030, with **half** of this capacity expected to be located in the North Seas but there is significant ***uncertainty***
2. There may be a significant opportunity to **integrate offshore wind generation and interconnectors** projects in the North Europe in order to take advantage of potentially significant **economies of scales**



Offshore Wind Projects Database



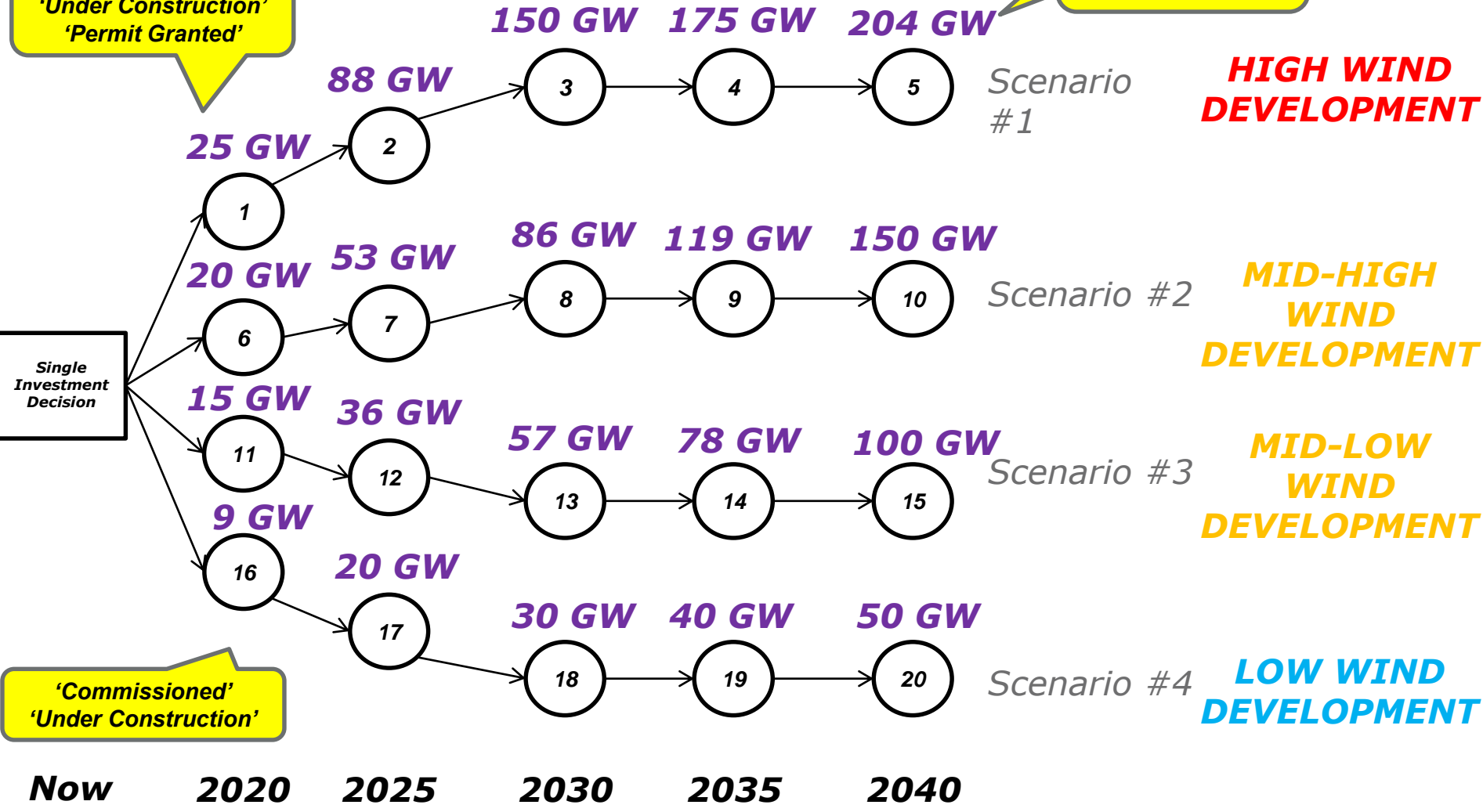
Offshore wind deployment scenarios

'Commissioned'
'Under Construction'
'Permit Granted'

All North Sea
Projects are
commissioned

Single
Investment
Decision

'Commissioned'
'Under Construction'

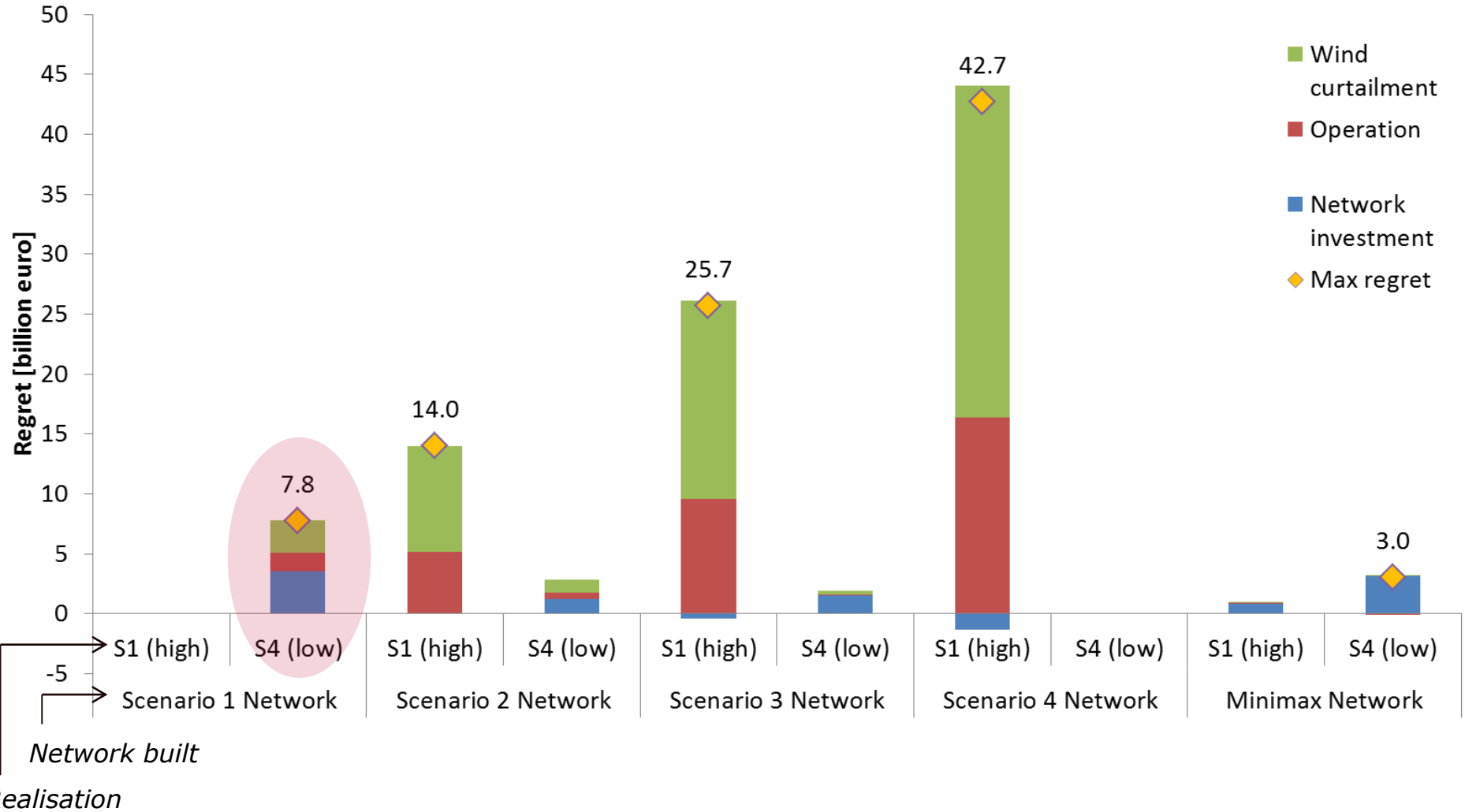


Now 2020 2025 2030 2035 2040

Modelling approaches:

1. Existing work:
 - I. Work led by North Seas Countries' Offshore Grid Initiative
 - II. Offshore-Grid: Offshore Electricity Infrastructure in Europe
2. Areas for further enhancement:
 - I. Optimising grid topology, including full quantification of the benefits of integrated design - considering operation and network investment (benefits from economies of scale)
 - II. Concurrent optimisation of offshore grid and cross-border interconnectors
 - III. Dealing with uncertainty in time, location and amount of wind generation deployment, demand growth and storage investment cost
 - IV. Understanding benefits of strategic/proactive network planning

Regret of different network solution



Problem Formulation

$\min\{ \mathcal{R}(\text{investment Cost} + \text{Operation Cost} + \text{Lost Load}) \}$

subject to:

Investment constraints (MILP)

Operational constraints (LP)

- Power Flow equations
- Transmission constraints
- Generation constraints
- Storage Constraints

- *Multi-Stage problem*
- *Investment variables couple the stages*
- *Stochastic formulation – Uncertainty described by scenario trees:*
 - + *Consideration of strategic actions*
 - *Definition of probabilities problematic*
- $\mathcal{R} \Rightarrow$ *Coherent Risk Measure (e.g. $E[\]$, CVaR)*

Modelling Challenges in Stochastic optimisation

Severe challenges related to the **problem size**:

- Consideration of large scenario trees with numerous multivariate nodes
 - **Multiple sources of uncertainty** expand tree size exponentially
 - Build times increase importance of **time resolution**
- Novel technologies introduce **more coupling** in the problem structure
 - Storage Elements/Demand-side response → time coupling
 - Corrective control automatons (e.g. FACTS) → pre/post-fault coupling
- **Numerous new technologies** in addition to traditional assets → binary variables
- Renewables and new demand patterns **expand the operational state-space**

**Decomposition
&
Reformulation**

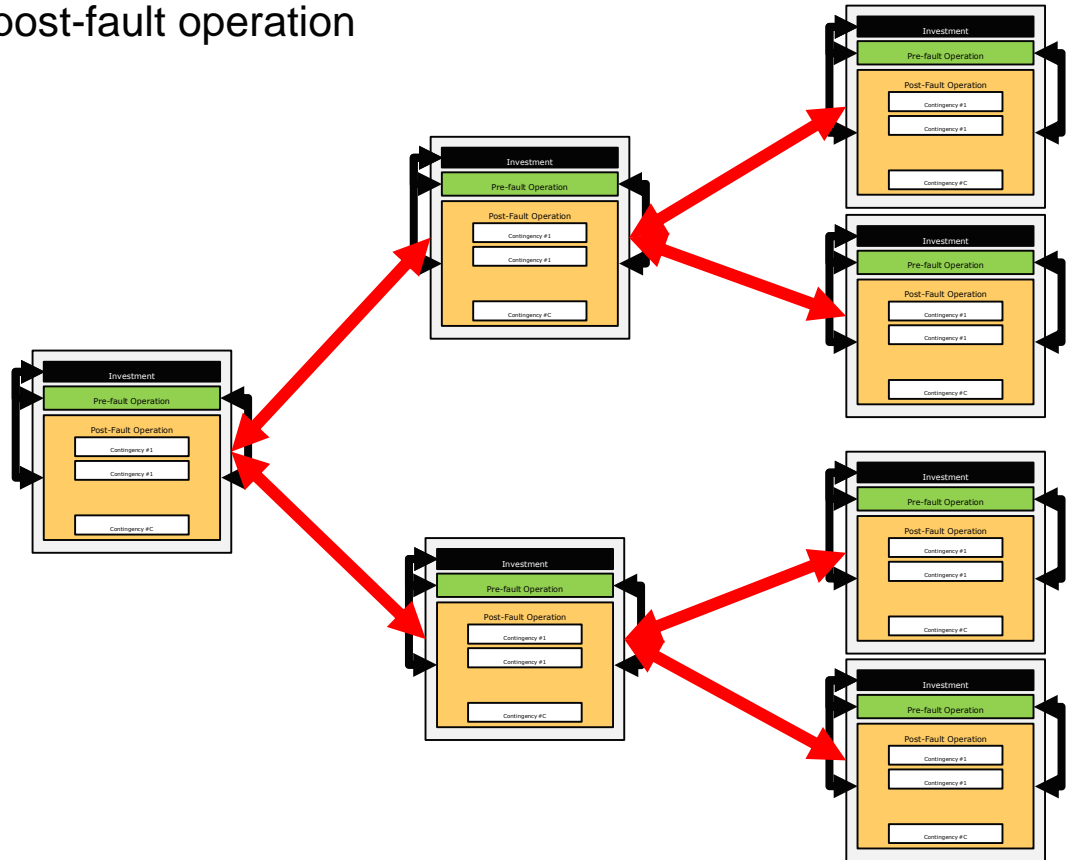
Convexification

**Optimal choice
of¹³
representative
points**
(scenario selection)

*Traditional optimisation methods are reaching
their **computational limits***

Modelling Opportunities

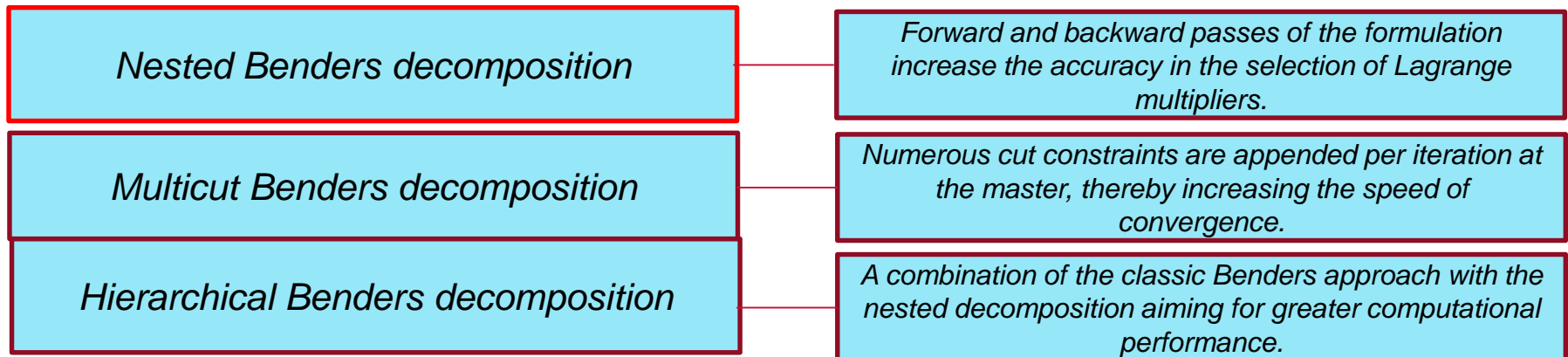
- Problem structure suitable for parallelization and decomposition:
 - Between investment and operation
 - Between operation of successive periods
 - Between pre-fault and post-fault operation
 - Per stage
 - Per scenario



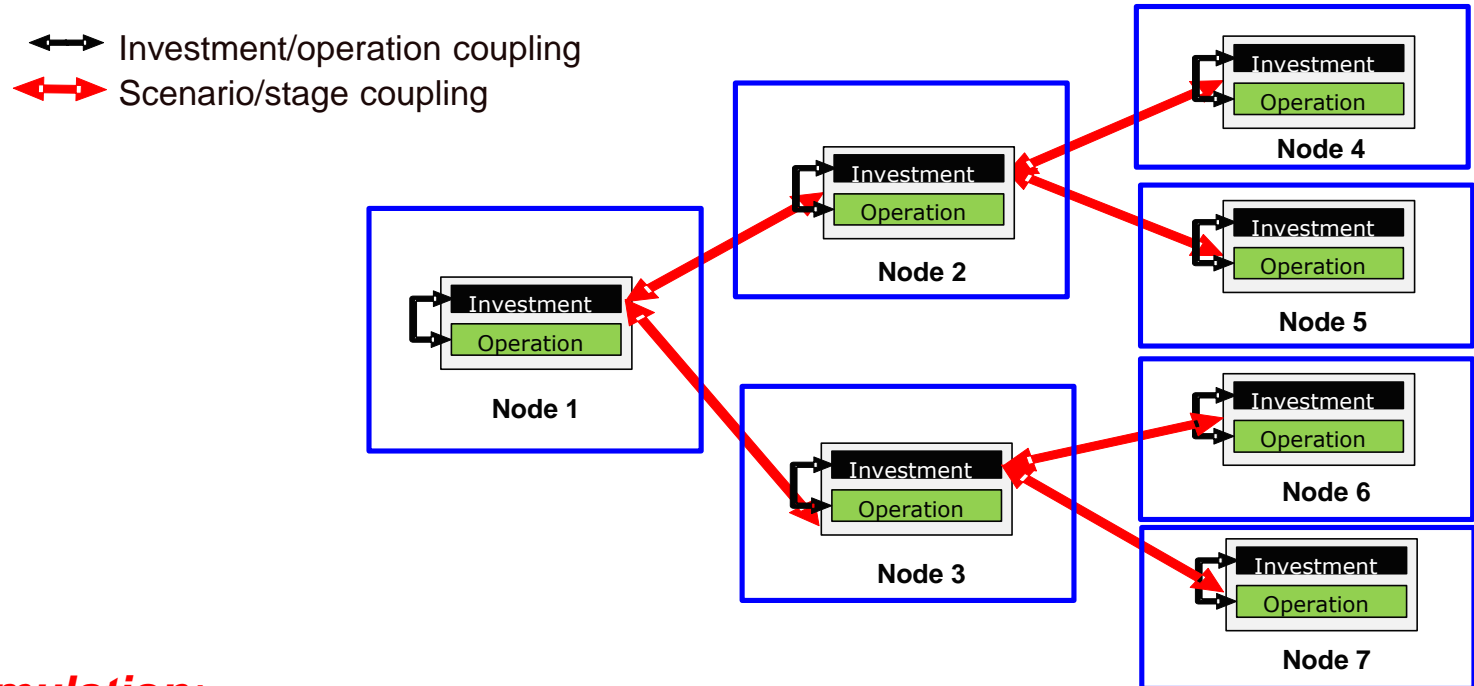
Large scale planning under uncertainty

Cost-effective European power system planning under high-dimensional uncertainty is **computationally extremely demanding**, making the case for decomposition.

3 methods for large – scale investment planning have been developed so as to reduce the computational burden of the original problem.



Nested Bender Decomposition



Node Formulation:

Forward pass: Identify interesting points (trials) in decision state-space.

Backward pass: Compute Lagrangian multipliers to approximate future cost function in each node.

Computational performance

Nodes	No. of Iterations	CPU Time	Cost lower bound (£m)	Cost upper bound (£m)	Gap
Benders Decomposition					
15	12	55s	6436.3	6346.3	0%
31	15	5m 52s	6917.1	6917.1	0%
63	11	3d 19h 39m	7309.5	7328.5	0.26%
127	6	15d 14h 35m	7559.8	7642.9	1.08%
255	7	21d 7h	7585.3	7674.4	1.17%
Nested Benders Decomposition					
15	13	1m 58s	6301.3	6348.8	0.74%
31	14	4m 28s	6840.8	6922.8	1.18%
63	16	10m 39s	7219.7	7316.9	1.32%
127	12	16m 13s	7449.2	7612.3	2.12%
255	12	28m 28s	7464.9	7637.4	2.26%

simple = better

better upper bound

45X

21d 7h

28m 28s

6346.3

6917.1

7328.5

7642.9

7674.4

6348.8

6922.8

7316.9

7612.3

7637.4

Decision under uncertainty

No. of Iterations	CPU Time	Cost lower bound (£m)	Cost upper bound (£ m)	Gap
Benders Decomposition				
5	>21d	14,468	15,139	4.4%
Nested Benders Decomposition				
314	2d 3h 10m	14,637	14,803	1.1%

Nested Benders is clearly superior for large planning problems

Inclusion of Energy storage assets leads to a 15% reduction of investment cost

Large variability in decisions across scenarios

#	Epochs				TC
	1	2	3	4	
#1	-	S(2; 63, 64)	A(93, 95, 96, 97) S(2; 38, 63, 64, 65, 68)	-	14141
#2	-	S(2; 63, 64)	A(93, 95, 96, 97) S(2; 38, 63, 64, 65, 68)	-	14288
#3	-	S(2; 63, 64)	A(93, 95, 96, 97) S(2; 38, 63, 64, 65, 68)	S(3; 117)	14486
#4	-	S(2; 63, 64)	A(93, 95, 97)	-	14356
#5	-	S(2; 63, 64)	A(93, 95, 97) S(2; 63, 64)	S(3; 117)	14554
#6	-	S(2; 63, 64)	A(93, 95, 97) S(2; 63, 64)	S(3; 117)	14693
#7	-	S(2; 63, 64)	A(93, 94, 97) S(2; 64)	S(3; 117)	14754
#8	-	S(2; 63, 64)	A(93, 94, 97) S(2; 64)	S(3; 117)	14806
#9	-	S(2; 63, 64)	A(93, 94, 97) S(2; 64)	S(3; 117)	14986
#10	-	S(2; 63)	A(93, 95, 97) B(97)	-	14494
#11	-	S(2; 63)	A(93, 95, 97) S(2; 63, 64) B(97)	-	14692
#12	-	S(2; 63)	A(93, 95, 97) S(2; 63, 64) B(97)	S(3; 117)	14825
#13	-	S(2; 63)	A(93, 97) S(2; 63, 64)	-	14861
#14	-	S(2; 63)	A(93, 97) S(2; 63, 64)	S(3; 117)	14933
#15	-	S(2; 63)	A(93, 97) S(2; 63, 64)	S(3; 117)	15137
#16	-	S(2; 63)	A(93) S(2; 63), S(3; 117)	-	15130
#17	-	S(2; 63)	A(93) S(2; 63), S(3; 117)	-	15236
#18	-	S(2; 63)	A(93) S(2; 63), S(3; 117)	-	15379
#19	-	-	A(93, 104) B(97)	-	14940
#20	-	-	A(93, 104) B(97)	-	15111
#21	-	-	A(93, 104) B(97)	S(3; 117)	15317
#22	-	-	A(93, 97) S(2; 63), S(3; 117)	-	15205
#23	-	-	A(93, 97) S(2; 63), S(3; 117)	-	15408
#24	-	-	A(93, 97) S(2; 63), S(3; 117)	-	15544
#25	-	-	S(2; 63), S(3; 117)	S(3; 63)	15631
#26	-	-	S(2; 63), S(3; 117)	-	15617
#27	-	-	S(2; 63), S(3; 117)	-	15812

Key observations

In high offshore wind deployment scenarios significant benefits from integrated, strategic approach to developing European grid

Reduction in the achieved operation cost and network investment cost

Flexible investment effective in dealing with large **uncertainty**

Evaluation of trades off requires detailed spatio-temporal integrated models

The computational advantages and effectiveness of decomposition schemes need to be further investigated on the Pan-European case

Thank you!